Name:

### 5.3 Solving Systems by Elimination

## HOW TO SOLVE A SYSTEM BY ELIMINATION

1. $\qquad$
$\qquad$
2. $\qquad$
3. $\qquad$
4. 

EXAMPLE 1: Solving a System of Linear Equations by Elimination a)

Solve the system by elimination. $\quad x+3 y=-2$

$$
x-3 y=16
$$

b)

Solve the system by elimination. $\quad-6 x+5 y=25$
$-2 x-4 y=14$

## EXAMPLE 2: Real-Life Application

You buy 8 hostas and 15 daylilies for $\$ 193$. Your friend buys 3 hostas and 12 daylilies for $\$ 117$. Write and solve a system of linear equations to find the cost of each daylily.

Use this guide for you and then use it again for your friend.

| Number |
| :---: |
| of hostas |$-$| Cost of each |
| :---: |
| hosta, $x$ |$+$| Number of |
| :---: |
| daylilies |$-$| Cost of each |
| :---: |
| daylily, $y$ |$=$| Total |
| :---: | cost

## On your own: Solve systems by elimination

$$
\text { 1. } \begin{aligned}
3 x+4 y & =-6 \\
7 x+4 y & =-14
\end{aligned}
$$

2. $4 x-5 y=-19$
$-x-2 y=8$
3. A landscaper buys 4 peonies and 9 geraniums for $\$ 190$. Another landscaper buys 5 peonies and 6 geraniums for $\$ 185$. Write and solve a system of linear equations to find the cost of each peony.

Summary: Methods for Solving Systems of Linear Equations

| Method | When to Use |
| :--- | :--- |
| Graphing (Lesson 5.1) | To estimate solutions |
| Substitution (Lesson 5.2) | When one of the variables in one of the equations has a coefficient of 1 <br> or -1 |
| Elimination (Lesson 5.3) | When at least 1 pair of like terms has the same or opposite coefficients |
| Elimination (Multiply <br> First) (Lesson 5.3) | When one of the variables cannot be eliminated by adding or <br> subtracting the equations |

